



**SIDDHARTH GROUP OF INSTITUTIONS:: PUTTUR
(AUTONOMOUS)**

Siddharth Nagar, Narayanavanam Road – 517583

QUESTION BANK (DESCRIPTIVE)

Subject with Code: Digital Signal Processing
(16EC422)

Course & Branch: B.Tech - EEE

Regulation: R16

UNIT –I

REVIEW OF DISCRETE-TIME SIGNALS AND SYSTEMS & DISCRETE FOURIER TRANSFORM

| | | | |
|-----------|---|------------------------|--------------|
| 1 | a) Explain the classification of discrete time signals and systems. b) Determine the circular convolution for the two sequences $x_1(n)=\{1,2,3,4\}$, $x_2(n)=\{1,5,1,3\}$ using concentric circles method. | [L2][CO1] [L5][CO1] | [5M] [7M] |
| 2 | a) Find impulse response of the system described by the difference equation $y(n)+y(n-1)-2y(n-2)=x(n-1)+2x(n-2)$. b) Find 4-point DFT of the sequence $x(n)=\{1,6,4,3\}$. | [L2][CO1] [L2][CO1] | [6M] [6M] |
| 3 | a) Determine the linear convolution of following two sequences: $x(n)=\{3,2,1,2\}$; $h(n)=\{1,2,1,2\}$ ↑ b) Explain the power signal and Energy signal. | [L5][CO1] [L2][CO1] | [6M] [6M] |
| 4 | Find the response of the system described by the difference equation: $y(n)+2y(n-1)+y(n-2)=x(n)+x(n-1)$ for the input $x(n)=\left(\frac{1}{2}\right)^n u(n)$, with initial conditions $y(-1)=y(-2)=1$. | [L1][CO1] | [12M] |
| 5 | Find the forced response of the system described by the difference equation: $y(n)+2y(n-1)+y(n-2)=x(n)+x(n-1)$ for input $x(n)=(-1)^n u(n)$. | [L2][CO1] | [12M] |
| 6 | State and prove following properties of DFT i)Circular shifting ii)Time reversal iii)complex conjugate iv)Linearity v)Circular convolution | [L5][CO1] | [12M] |
| 7 | Find the output $y(n)$ of a filter whose impulse response is $h(n)=[1,-1]$ and input $x(n)= [1,-2,2,-1,3,-4,4,-3]$ using i) overlap add method ii)overlap-save method | [L1][CO1] | [12M] |
| 8 | a) Find 8 point DFT of the sequence $x(n)=[1,2,1,0,2,3,0,1]$ b) Describe the relation between i) DFT to Z- transform ii) DFT to Fourier Series. | [L1][CO1] [L1][CO1] | [7M] [5M] |
| 9 | a) Explain how DFT can be used as a linear Transform. b) Find the forced response of the system described by the difference equation: $y(n)+2y(n-1)+y(n-2)=x(n)+x(n-1)$ for input $x(n)=(-1)^n u(n)$. | [L2][CO1] [L1][CO1] | [6M] [6M] |
| 10 | a) Explain frequency analysis of discrete-time systems. b) Find the natural response of the system described by difference equation $y(n)+2y(n-1)+y(n-2)=x(n)+x(n-1)$ with initial condition $y(-1)=y(-2)=1$. | [L2][CO1] [L1][CO1] | [4M] [8M] |

UNIT –II
EFFICIENT COMPUTATION OF THE DFT

| | | | |
|-----------|--|------------------------|--------------|
| 1 | Determine 8-point DFT of the sequence $x(n) = \{1,2,3,4,4,3,2,1\}$ using radix-2 DIT-FFT Algorithm. | [L5][CO2] | [12M] |
| 2 | a) Construct Radix-4 DIF FFT algorithm with neat sketch. b) Compare DFT and FFT algorithms. | [L2][CO2] [L4][CO2] | [6M] [6M] |
| 3 | Determine 8-point DFT of the sequence $x(n) = \{1,2,1,2,1,2,2,1\}$ using radix-2 DIF-FFT Algorithm. | [L5][CO2] | [12M] |
| 4 | a) Construct the decimation in time FFT algorithm with butterfly diagram. b) Explain use of FFT in linear filtering and correlation. | [L1][CO2] [L2][CO2] | [6M] [6M] |
| 5 | a) With a neat sketch find 4 point DFT of the sequence $x(n) = [1,6,7,4]$ using radix2 DIT-FFT algorithm. b) Interpret the applications of FFT algorithm. | [L3][CO2] [L1][CO2] | [8M] [4M] |
| 6 | Develop an 8-point DIF-FFT algorithm. Draw the signal flow graph. Determine the DFT of the following sequence, $x(n) = \{1,1,1,0,0,1,1,1\}$. | [L3][CO2] | [12M] |
| 7 | a) Explain decimation in frequency FFT algorithm. b) Compare radix-2 DIT-FFT and DIF-FFT algorithms. | [L2][CO2] [L4][CO2] | [6M] [6M] |
| 8 | a) Explain Radix-4 FFT algorithm in decimation in time domain. b) Describe Quantization errors in the direct computation of DFT. | [L2][CO2] [L1][CO2] | [6M] [6M] |
| 9 | How do you compute DFT using i) The Goertzel Algorithm ii)The chirp-z Transform. | [L1][CO2] | [12M] |
| 10 | a) Explain divide and conquer approach to computation of the DFT. b) Explain Radix-4 FFT algorithm with neat butterfly diagram. | [L2][CO2] [L2][CO2] | [6M] [6M] |

UNIT –III
STRUCTURES FOR THE REALIZATION OF DISCRETE-TIME SYSTEMS

| | | | |
|-----------|---|------------------------|--------------|
| 1 | (a) Discuss the realization of FIR filter structures. (b) Determine the cascade form realization for the following FIR filter with system function $H(z) = 1 + (5/2)z^{-1} + 2z^{-2} + 2z^{-3}$. | [L6][CO3] [L5][CO3] | [6M] [6M] |
| 2 | a) Determine the direct form realization for FIR filter of the following impulse response $h(n) = \delta(n) + 1/2 \delta(n-1) - 1/4 \delta(n-2) + \delta(n-4) + 1/3 \delta(n-3)$. b) Determine the direct form realization for the following linear phase filters $h(n) = [1, 2, -4, 2, 3, 1, 2]$. | [L5][CO3] [L5][CO3] | [6M] [6M] |
| 3 | a) Explain about lattice structure for FIR systems. b) Determine the lattice structure for the following FIR filter function $H(z) = 1 + 2z^{-1} + 1/3 z^{-2}$. | [L2][CO3] [L5][CO3] | [6M] [6M] |
| 4 | Determine the transfer function $H(Z)$ of an FIR filter to implement $h(n) = \delta(n) + 2\delta(n-1) + \delta(n-2)$ using frequency sampling technique. | [L5][CO3] | [12M] |
| 5 | (a) Explain the advantages and disadvantages of Direct form-II realization. (b) Determine the cascade form realization for IIR system with difference equation $y(n) = y(n-1) + 2y(n-2) + x(n)$. | [L2][CO3] [L5][CO3] | [6M] [6M] |
| 6 | Determine a parallel form realization for the following IIR system: $H(Z) = \frac{(1+Z^{-1})(1+2Z^{-1})}{(1+1/2 Z^{-1})(1-1/4 Z^{-1})(1+1/8 Z^{-1})}$ | [L5][CO3] | [12M] |
| 7 | Determine the realization for IIR system with following difference equation $y(n) = (3/4)y(n-1) - (1/8)y(n-2) + x(n) + (1/3)x(n-1)$ (i) direct form-I (ii) direct form-II | [L5][CO3] | [12M] |
| 8 | Determine realization for IIR system with following difference equation $y(n) = (3/4)y(n-1) - (1/8)y(n-2) + x(n) + (1/3)x(n-1)$. (i) cascade form (ii) Parallel form | [L5][CO3] | [12M] |
| 9 | a) Explain briefly about Signal flow graph & transposed structures with an example. b) Explain about conversion from lattice structure to direct form for IIR systems. | [L2][CO3] [L2][CO3] | [6M] [6M] |
| 10 | Determine the direct form I, direct form-II, cascade and parallel form realization for the system $y(n) = -0.1y(n-1) + 0.2y(n-2) + 3x(n) + 3.6x(n-1) + 0.6x(n-2)$. | [L5][CO3] | [12M] |

UNIT –IV
IIR FILTER DESIGN

| | | | |
|-----------|--|------------------------|--------------|
| 1 | (a) Explain about frequency transformation in analog domain. (b) Compare FIR and IIR filters. | [L2][CO4] [L4][CO4] | [6M] [6M] |
| 2 | (a) Discuss about Lowpass to highpass transformation in analog domain (b) Design a highpass filter for the given specifications $\alpha_p=3\text{dB}$; $\alpha_s=15\text{dB}$; $\Omega_p=1000\text{rad/sec}$ and $\Omega_s=500\text{rad/sec}$. | [L6][CO4] [L6][CO4] | [6M] [6M] |
| 3 | Explain the IIR filter design using approximation of derivatives method. and also Sketch the s-plane to z-plane mapping using approximation of derivatives method. | [L2][CO4] | [12M] |
| 4 | (a) Explain the design steps of a digital filter using Impulse Invariance method. (b) For the analog transfer function $H(s)=2/(s+1)(s+2)$ determine $H(s)$ using impulse invariance method. Assume $T=1$ sec. | [L2][CO4] [L5][CO4] | [5M] [7M] |
| 5 | Explain the IIR filter design approximation using Bilinear Transformation method. Also sketch the s-plane to z-plane mapping. State its merits and demerits. | [L2][CO4] | [12M] |
| 6 | Convert the following analog filter transfer function using backward difference method, Impulse invariant method and Bilinear Transformation method. $H(s)=1/(s+0.2)$ Consider $T=1$ Sec. | [L6][CO4] | [12M] |
| 7 | Design a third order Butterworth digital filter using impulse invariant technique. Assume sampling period $T=1$ sec. | [L6][CO4] | [12M] |
| 8 | (a) What is bilinear transformation? Mention its properties. (b) Explain about frequency transformation in digital domain. | [L1][CO4] [L2][CO4] | [5M] [7M] |
| 9 | Design an analog Butterworth filter that has a -2db pass band attenuation at a frequency of 20rad/sec and at least -10dB stop band attenuation at 30 rad/sec (assume $\Omega_c = 21.3868$ rad/sec). | [L6][CO4] | [12M] |
| 10 | Design a digital Butterworth filter satisfying the constraints $0.707 \leq H(e^{j\omega}) \leq 1$ for $0 \leq \omega \leq \pi/2$ $ H(e^{j\omega}) \leq 0.2$ for $3\pi/4 \leq \omega \leq \pi$ with $T=1$ sec using i) The bilinear Transformation ii) Impulse invariance method. | [L6][CO4] | [12M] |

UNIT –V
FIR FILTER DESIGN

| | | | |
|-----------|---|------------------------|--------------|
| 1 | a) Explain about characteristics of practical frequency selective filters. b) What are the merits and demerits of FIR filters? | [L2][CO5] [L1][CO5] | [8M] [4M] |
| 2 | a) Explain about design of symmetric and asymmetric FIR filters. b) Discuss the frequency selective filters with plot. | [L2][CO5] [L1][CO5] | [7M] [5M] |
| 3 | Design an ideal band pass filter with a frequency response $H_d(e^{j\omega}) = 1 \quad \pi/4 \leq \omega \leq 3\pi/4$ $= 0 \text{ otherwise}$ Find the values of $h(n)$ for $N=11$ and plot frequency response. | [L6][CO5] | [12M] |
| 4 | Design an ideal HPF with desired frequency response $H_d(e^{j\omega}) = 1$ for $\pi/4 \leq \omega \leq \pi$ 0 for $ \omega \leq \pi/4$ Find the values of $h(n)$ for $N=11$ and also find $H(Z)$ using Hanning window technique. | [L6][CO5] | [12M] |
| 5 | Design a FIR low pass filter satisfying the following specifications $\alpha_p \leq 0.1$ dB; $\alpha_s \geq 44.0$ dB; $\omega_p = 20$ rad/sec; $\omega_s = 600$ rad/sec and $\omega_{sf} = 100$ rad/sec. | [L6][CO5] | [12M] |
| 6 | a) Discuss about characteristics linear phase FIR filters. b) Compare features of different windowing functions. | [L2][CO5] [L4][CO5] | [6M] [6M] |
| 7 | a) Explain about design method of optimum equi ripple linear phase FIR filters. b) What are the desirable characteristics of the window? | [L2][CO5] [L1][CO5] | [8M] [4M] |
| 8 | (a) Design FIR filters using symmetric filter. (b) Explain about the Rectangular window of the FIR filter. | [L6][CO5] [L2][CO5] | [6M] [6M] |
| 9 | Design a filter with $H_d(e^{j\omega}) = e^{-j3\omega}$ $-\pi/4 \leq \omega \leq \pi/4$ $= 0$ $\pi/4 \leq \omega \leq \pi$ Using Hamming window with $N = 7$. | [L6][CO5] | [12M] |
| 10 | Illustrates the followings i) Rectangular window ii) Hamming window ii) Hanning window | [L1][CO5] | [12M] |

Prepared by: PMJ BALAJI
Asst Professor/ECE.